

Optimal Configuration of Compute Nodes for Synthetic Aperture Radar Processing

by

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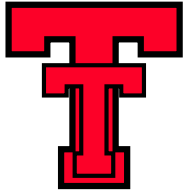
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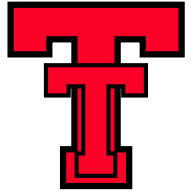
Outline



-
- **Motivation and SAR Basics**
 - Parallelization of SAR Processing
 - The Optimal Configuration Problem
 - Formulation
 - Numerical Results
 - Conclusions



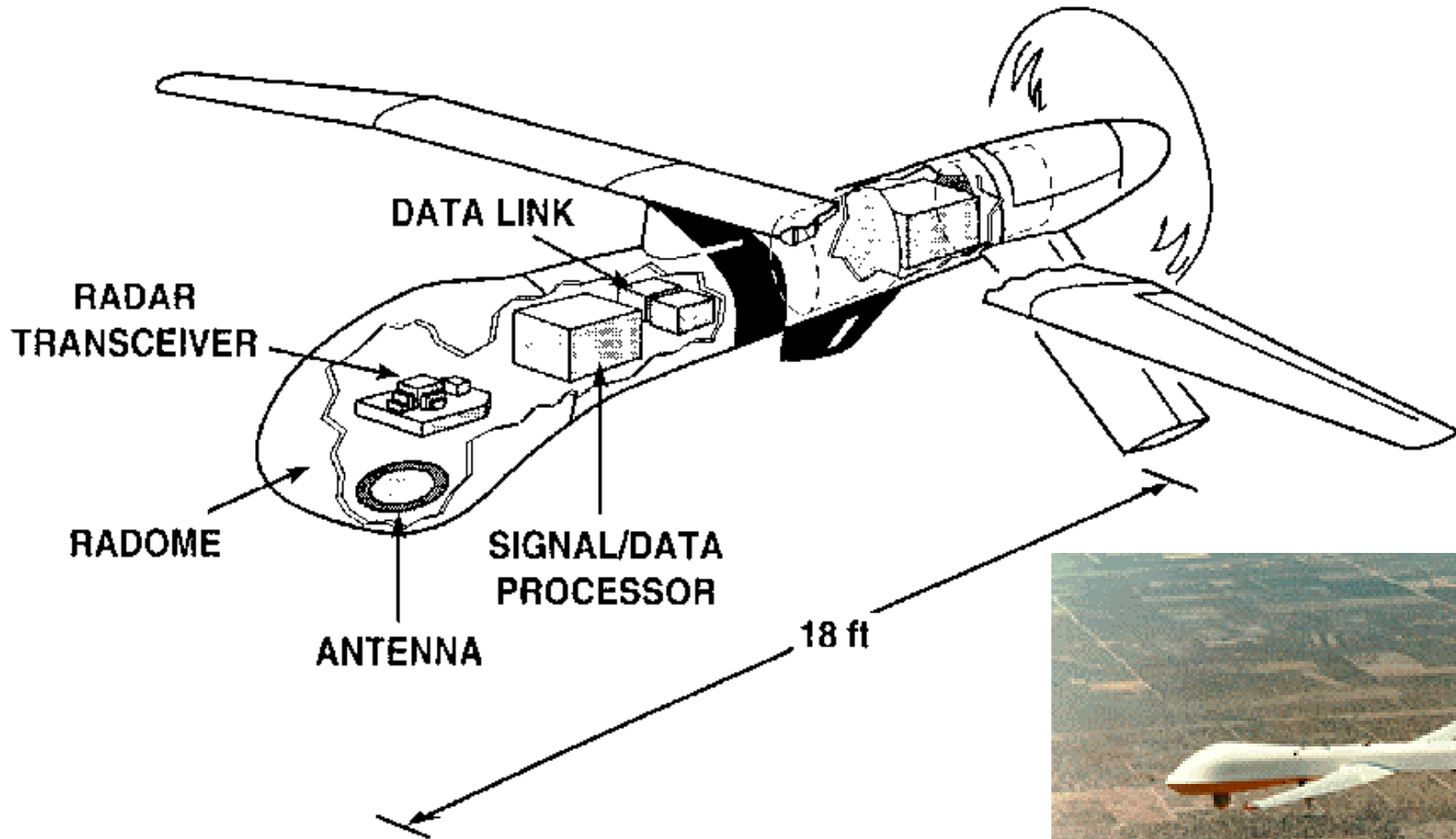
Motivation for Research and Key Terms



- **Embedded Systems**
- **High-Performance Computing**
- **DSPs:** Digital Signal Processors
- **GPPs:** General Purpose Processors
- **FPGAs:** Field Programmable Gate Arrays
- **COTS:** Commercial Off-the-Shelf
- **UAV:** Unmanned Aerial Vehicle
- **SWAP:** Size, Weight, and Power



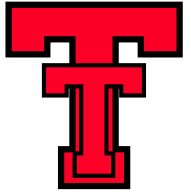
Nominal UAV Payload



“Predator”



Synthetic Aperture Radar



Uses:

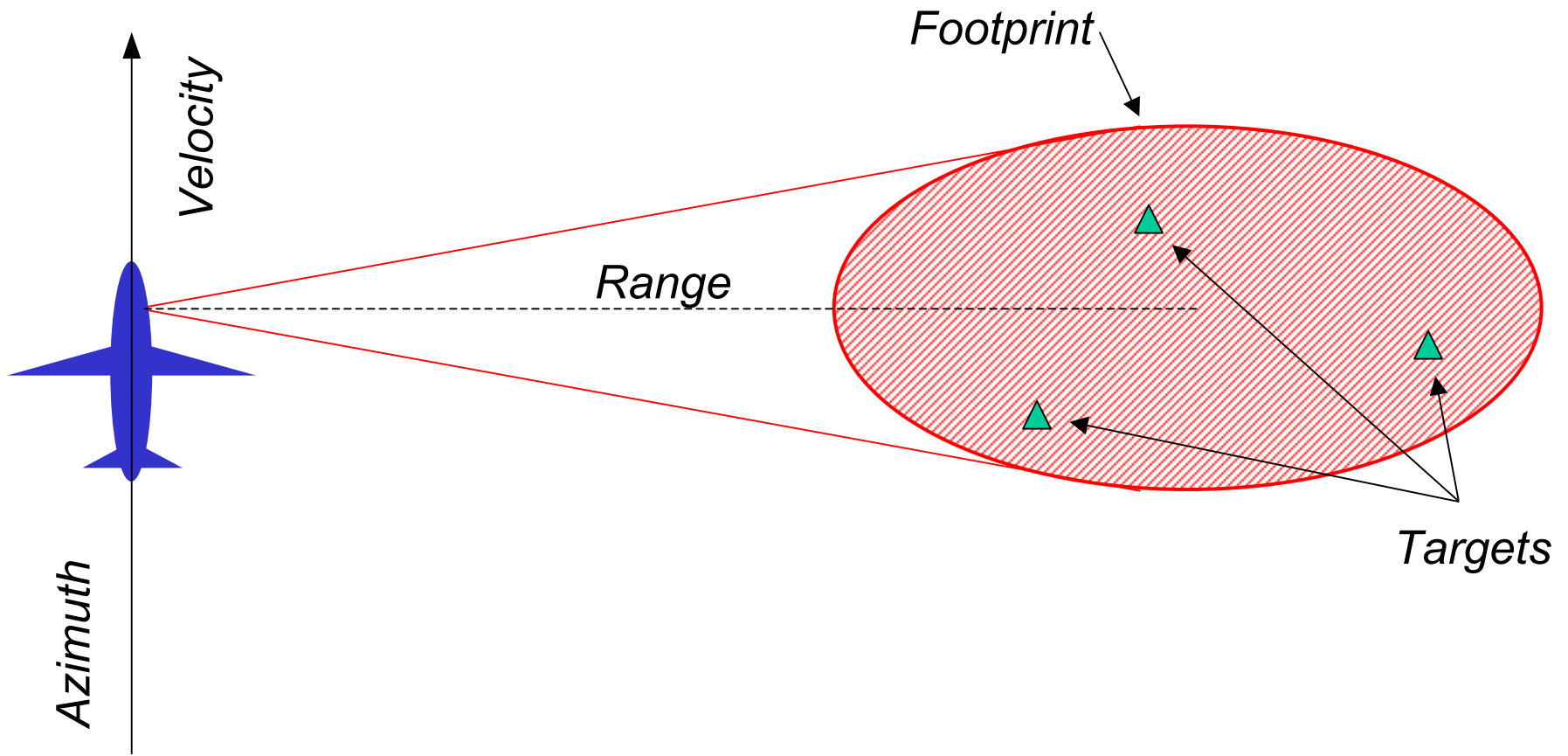
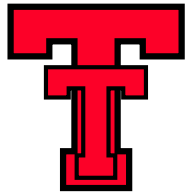
- Ground surveillance
- Terrain and weather mapping
- Ocean current and ice floe tracking
- Detection of earthquake faults

Advantages over optical methods:

- Radio waves relatively unaffected by bad weather and poor lighting
- True 3-D images possible

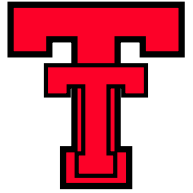


Footprint of Aerial Side-Looking SAR





Pulse and Azimuth Compression



Pulse (Range):

- Based on bandwidth of FM chirp
- Resolution:

Uncompressed	Compressed
$\delta_R = \frac{c\tau_p}{2}$	$\delta_R = \frac{c}{2B}$

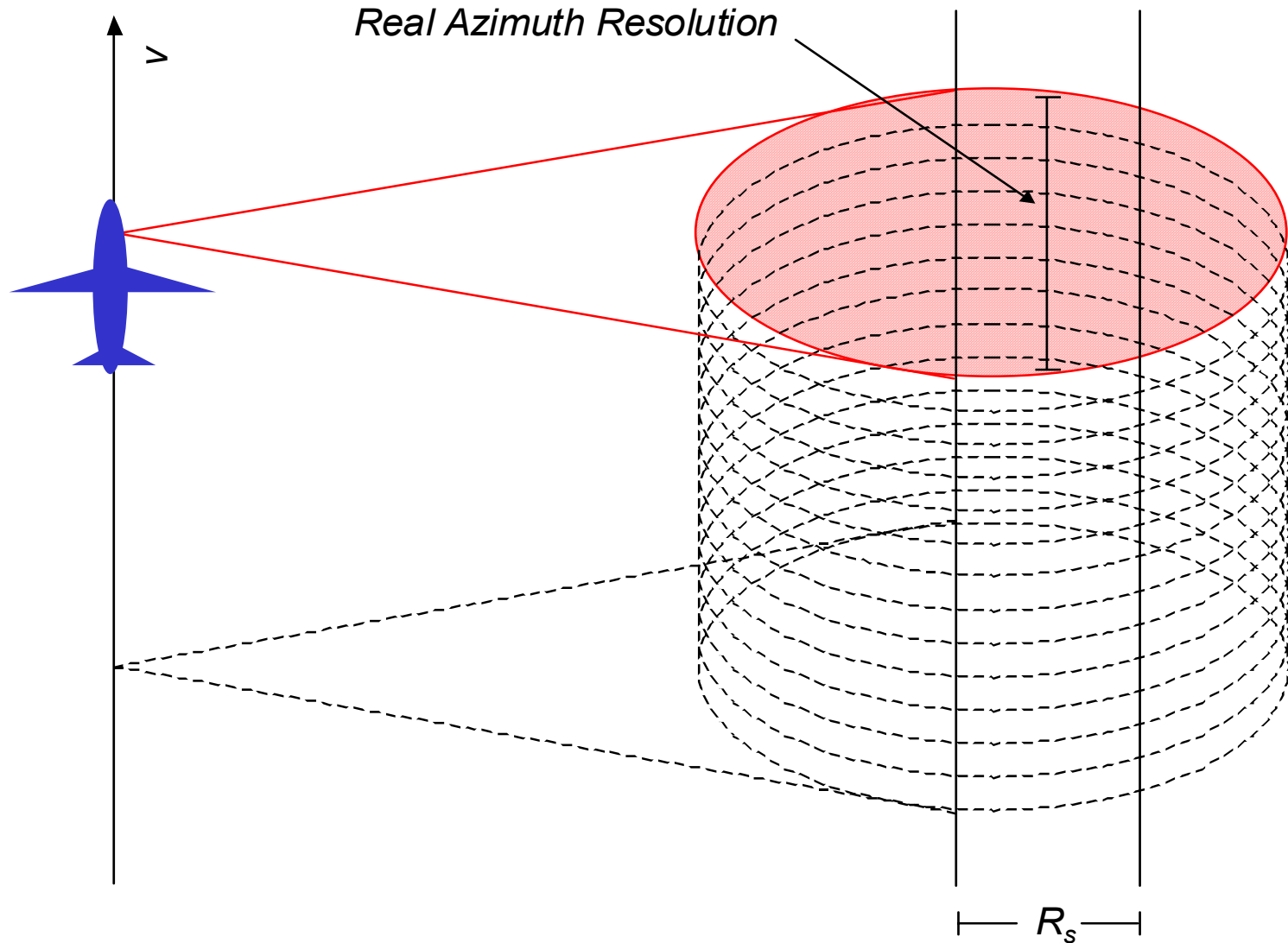
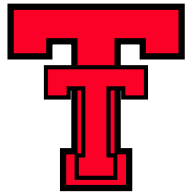
Azimuth:

- Based on Doppler frequency shift
- Resolution:

Uncompressed	Compressed
$\delta_{Az} \approx \frac{R\lambda}{A}$	$\delta_{Az} = \frac{A}{2}$

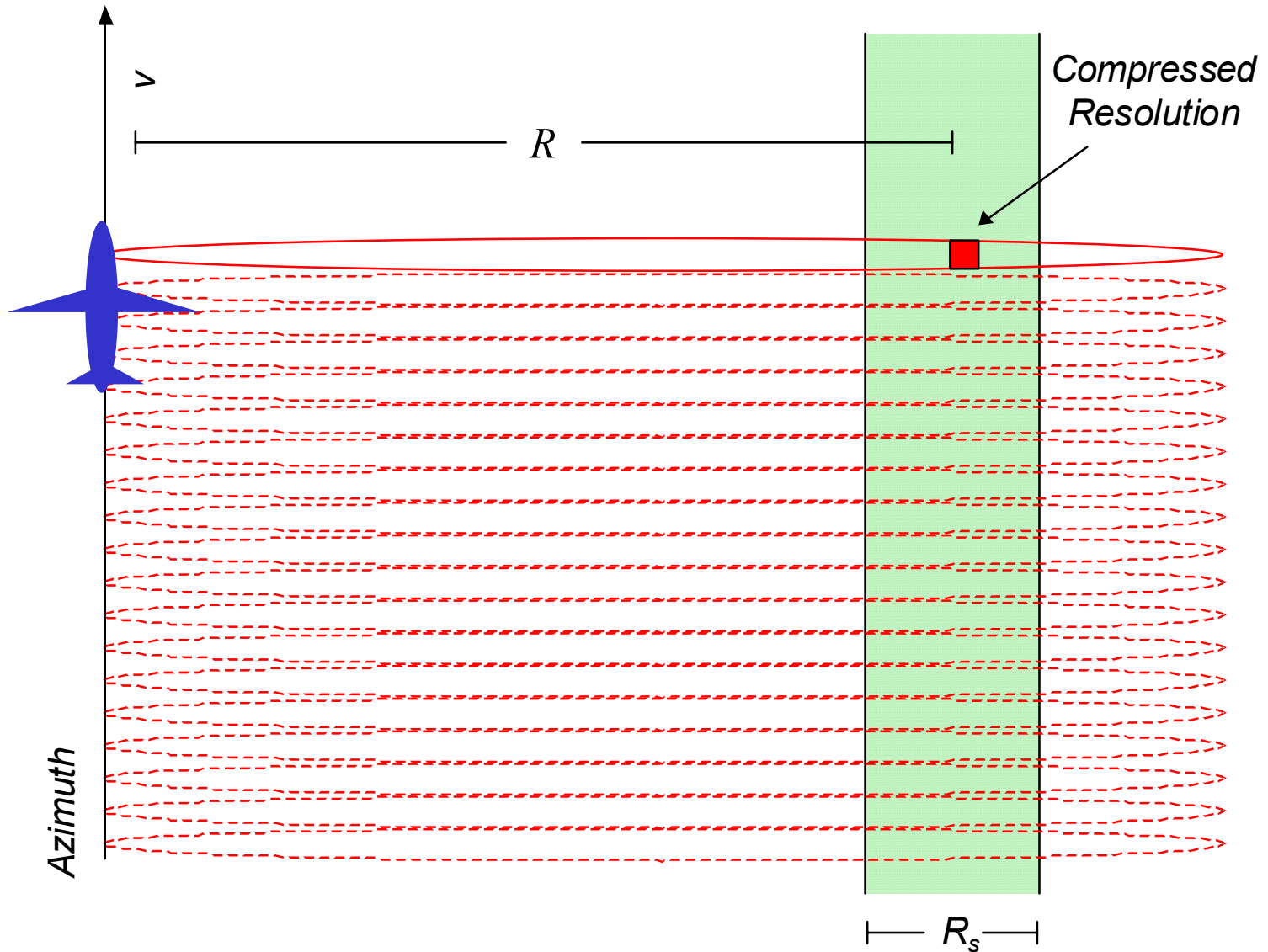
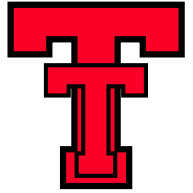


Offset Overlapping Beams



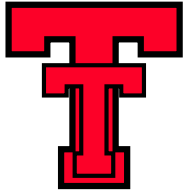


Synthetic Beams





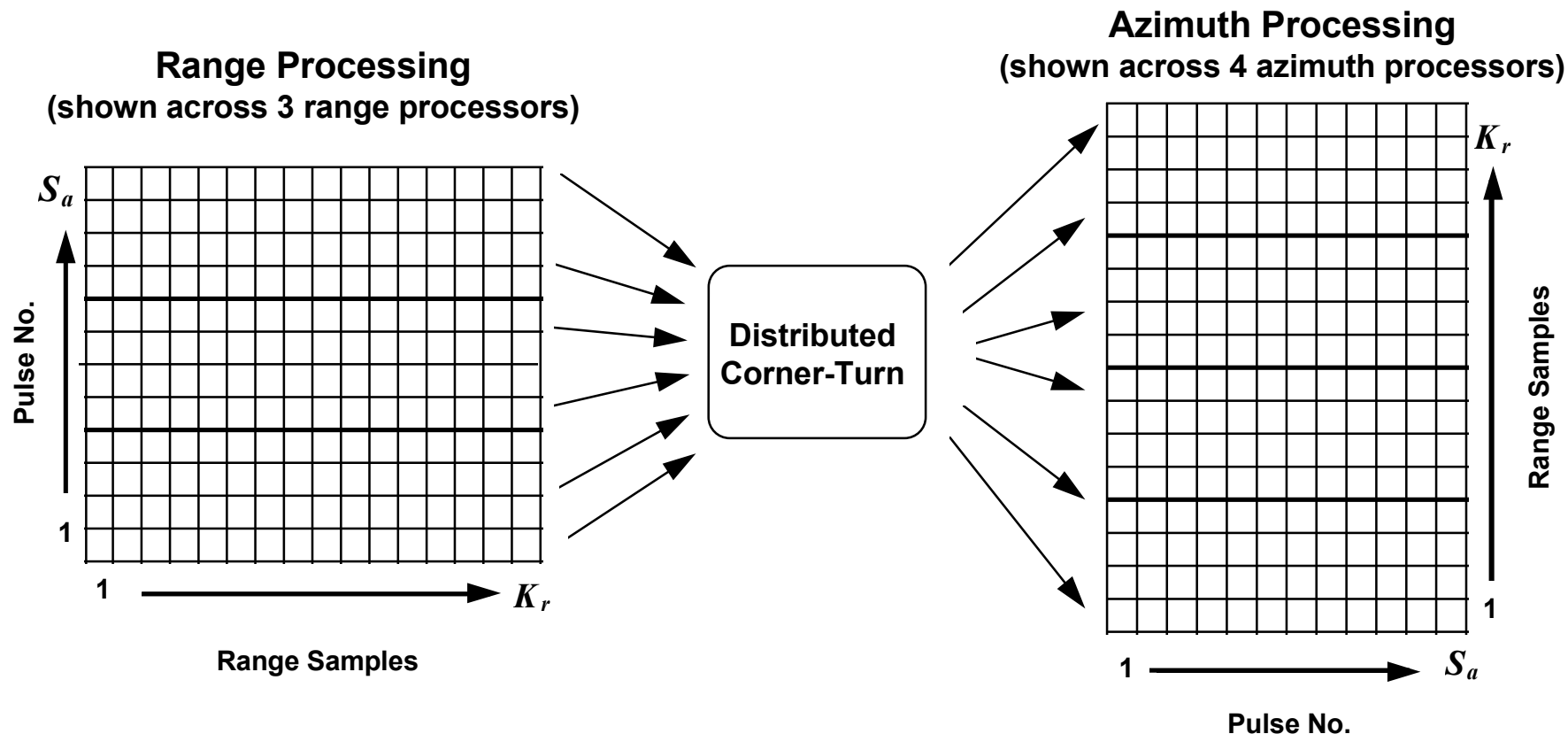
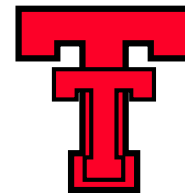
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Parallelization of SAR Processing

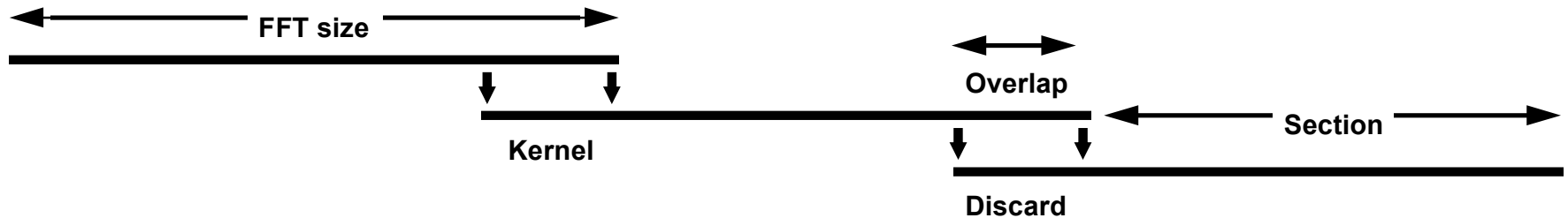
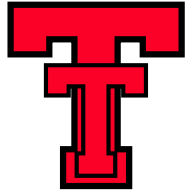


where S_a is the azimuth section length and K_r is the range reference kernel size

Reference: T. Einstein, "Realtime Synthetic Aperture Radar Processing on the RACE Multicomputer," App. Note 203.0, Mercury Computing Sys, 1996.



Sectioned Convolution

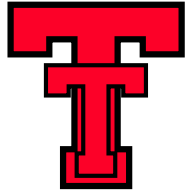


Large Overlap/Section ratio \Rightarrow Small azimuth memory, large number azimuth processors
Small Overlap/Section ratio \Rightarrow Large azimuth memory, small number azimuth processors

Reference: T. Einstein, "Realtime Synthetic Aperture Radar Processing on the RACE Multicomputer," App. Note 203.0, Mercury Computing Sys, 1996.



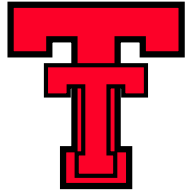
System Parameters



- **radar-dependent:** R (range), R_s (range swath), and λ (wavelength)
- **application-dependent:** δ (desired resolution) and v (platform velocity)
- **processor-dependent:** α_r and α_a (non-fast-convolution range and azimuth loading) and γ (fast convolution throughput)
- **software-dependent:** S_a (azimuth convolution section length), F_a (azimuth FFT length), and F_r (range FFT length)



Derivations for Memory and Processor Requirements



$$P_r = \frac{v(6\delta F_r + \alpha_r \gamma R_s + 10\delta F_r \lg F_r)}{\gamma \delta^2}$$

$$P_a = \frac{v R_s \left(\alpha_a + \frac{F_a (6 + 10 \lg F_a)}{\gamma S_a} \right)}{\delta^2}$$

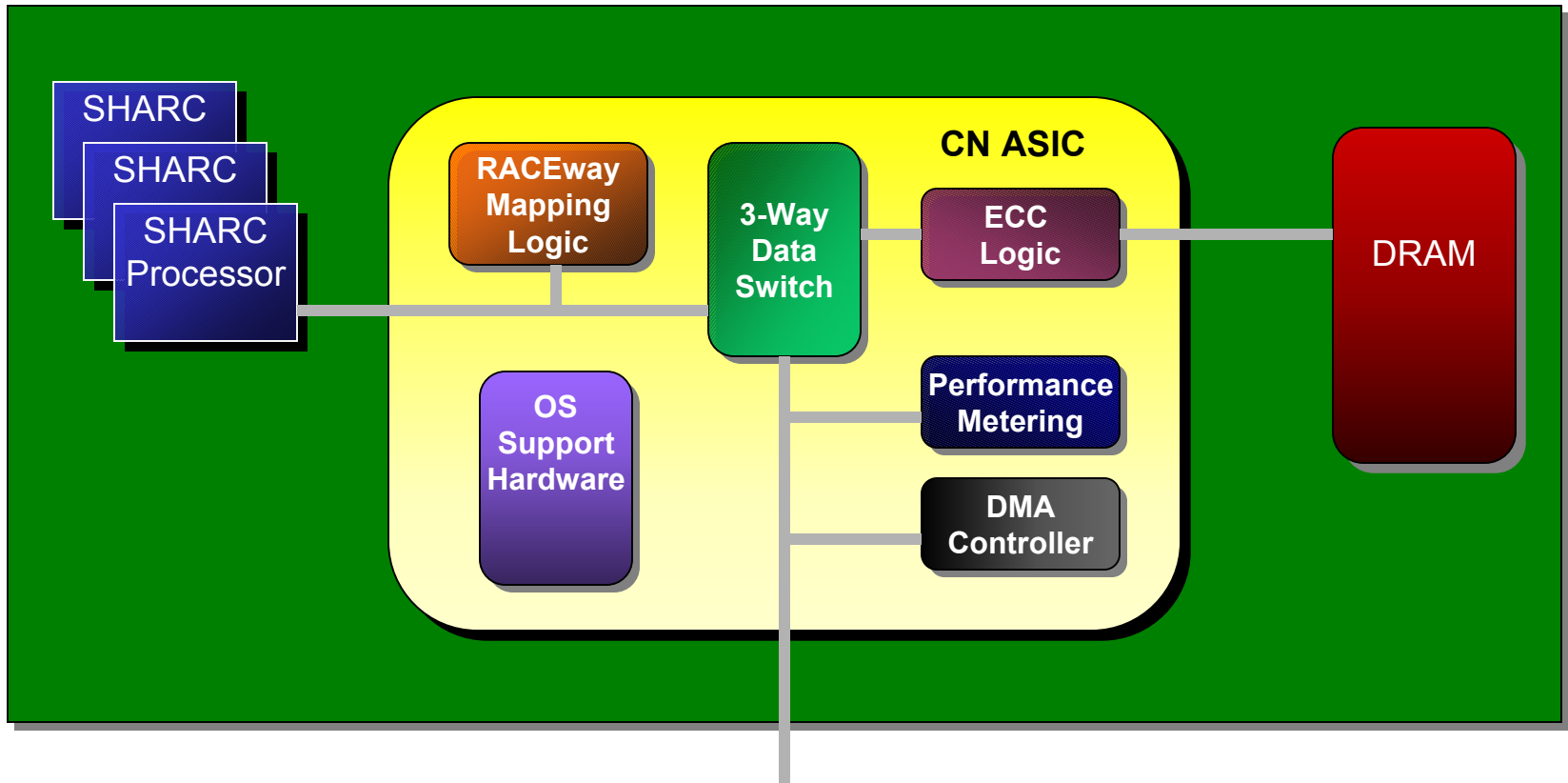
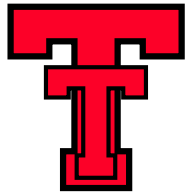
$$M_r = \frac{16 R_s v (6\delta F_r + \alpha_r \gamma R_s + 10\delta F_r \lg F_r)}{\gamma \delta^3}$$

$$M_a = \frac{R_s (\lambda R + 2\delta^2 S_a)}{\delta^3}$$

where P_r and P_a are the number of required processors and M_r and M_a are the memory requirements in Mbytes for range and azimuth processing, respectively



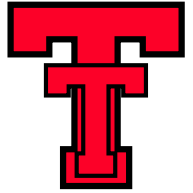
SHARC Compute Node Architecture



RACEway Interface



Daughtercard Types



Type 1:

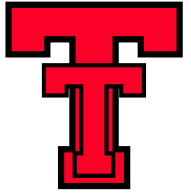
- 2 CNs/card
- 6 CEs/card
- 3 CEs/CN
- 32 MB DRAM/card
- 16 MB DRAM/CN
- 5.33 MB DRAM/CE
- 12.2 Watts

Type 2:

- 1 CN/card
- 2 CEs/card
- 2 CEs/CN
- 64 MB DRAM/card
- 64 MB DRAM/CN
- 32 MB DRAM/CE
- 9.6 Watts



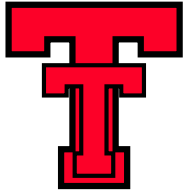
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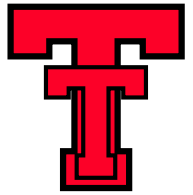
Optimal Configuration Formulation



- Based on characteristics of CNs:
 - Power consumption
 - Number of CEs
 - Amount of memory
- CEs are assigned to perform either range or azimuth processing.
- Processed data for a CE must be stored locally for both range and azimuth computations.



Optimal Configuration Formulation



- **Objective:** Determine configurations for the CNs, number of CNs of each configuration, and section size, to satisfy processor and memory requirements and minimize power consumption
- **Notation and Definitions:**
 - CN Configuration: Specifies the daughtercard type and number of range and azimuth CEs (per configured CN)
 - X, Y : The two possible CN configurations
 - X_T, Y_T : Daughtercard type for each CN configuration



Optimal Configuration Formulation

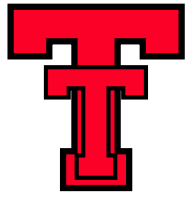


- **Notation and Definitions:**

- X_r, Y_r : Number of range processors per CN
(for each configuration)
- X_a, Y_a : Number of azimuth processors per CN
(for each configuration)
- N_X, N_Y : Number of CNs of configurations X and Y
- $\Pi_{CN}(\bullet)$: Power per CN as a function of
daughtercard type
- $M_{CN}(\bullet)$: Memory per CN as a function of
daughtercard type
- $P_{CN}(\bullet)$: Processors per CN as a function of
daughtercard type



Optimal Configuration Formulation



Minimize:

$$Z = N_X \Pi_{CN}(X_T) + N_Y \Pi_{CN}(Y_T)$$

Subject to:

$$P_r \leq N_X X_r + N_Y Y_r$$

$$P_a(S_a) \leq N_X X_a + N_Y Y_a$$

$$M_{CN}(X_T) \geq X_r \frac{M_r}{P_r} + X_a \frac{M_a(S_a)}{P_a(S_a)}$$

$$M_{CN}(Y_T) \geq Y_r \frac{M_r}{P_r} + Y_a \frac{M_a(S_a)}{P_a(S_a)}$$

$$X_r + X_a \leq P_{CN}(X_T)$$

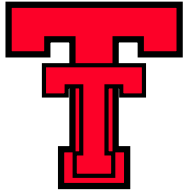
$$Y_r + Y_a \leq P_{CN}(Y_T)$$

$$F_a = 2^k \geq S_a + K_a, \quad k = 1, 2, \dots$$

$$N_X, N_Y, X_r, X_a, Y_r, Y_a \geq 0, S_a \geq 1$$



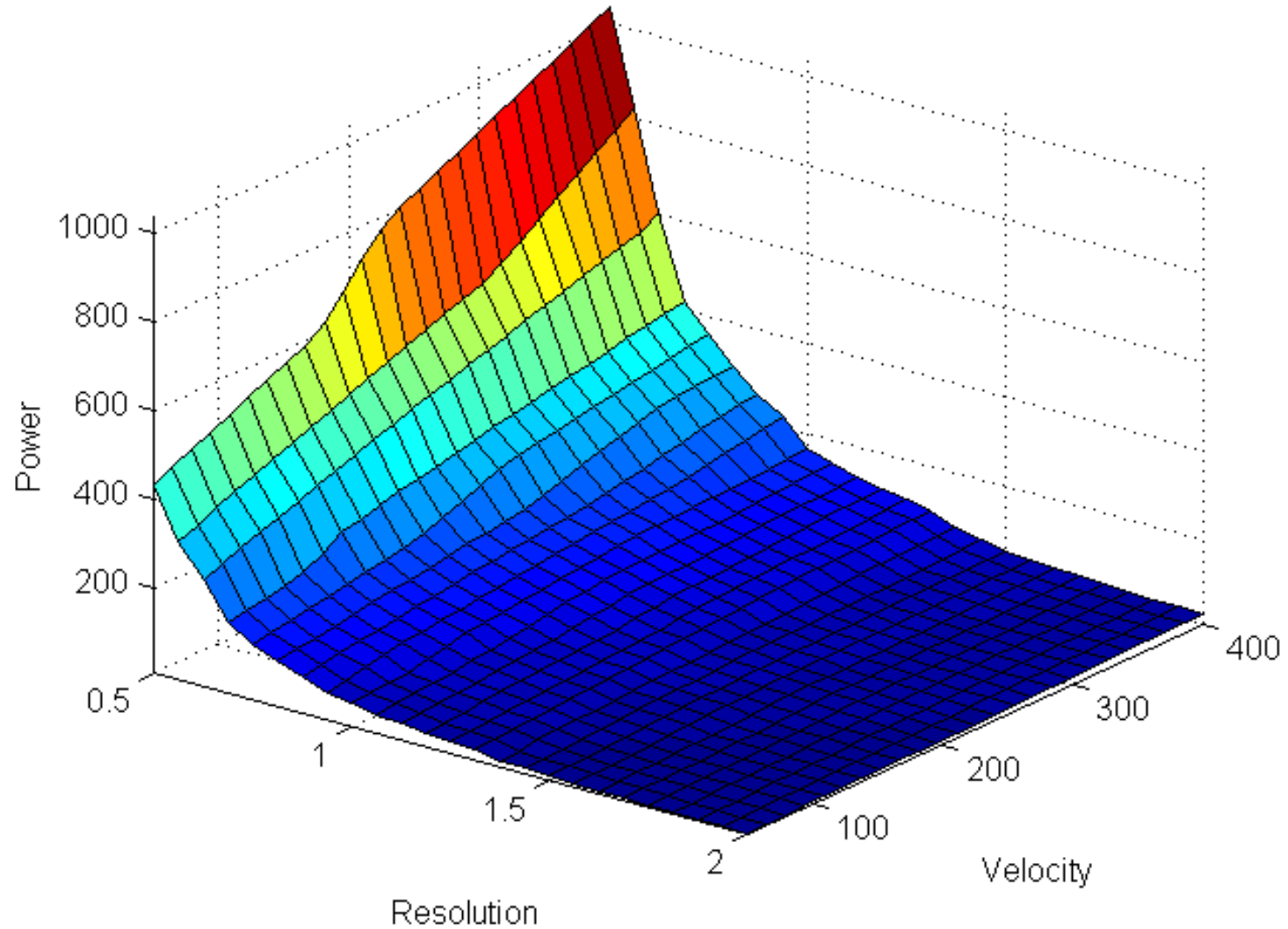
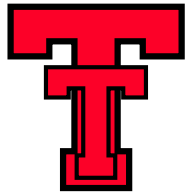
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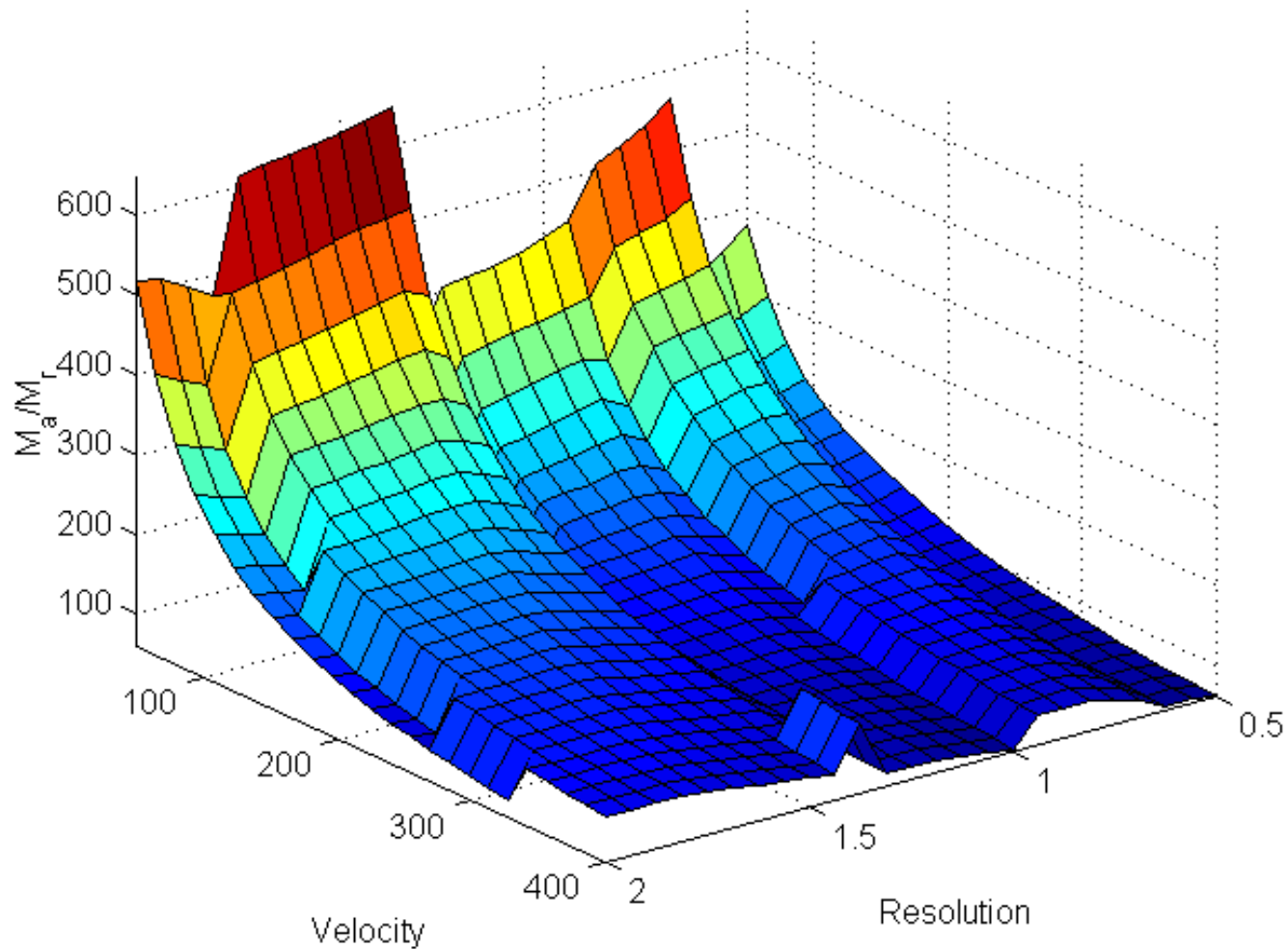
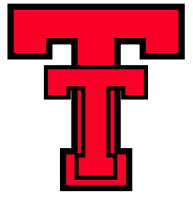


Minimum Power



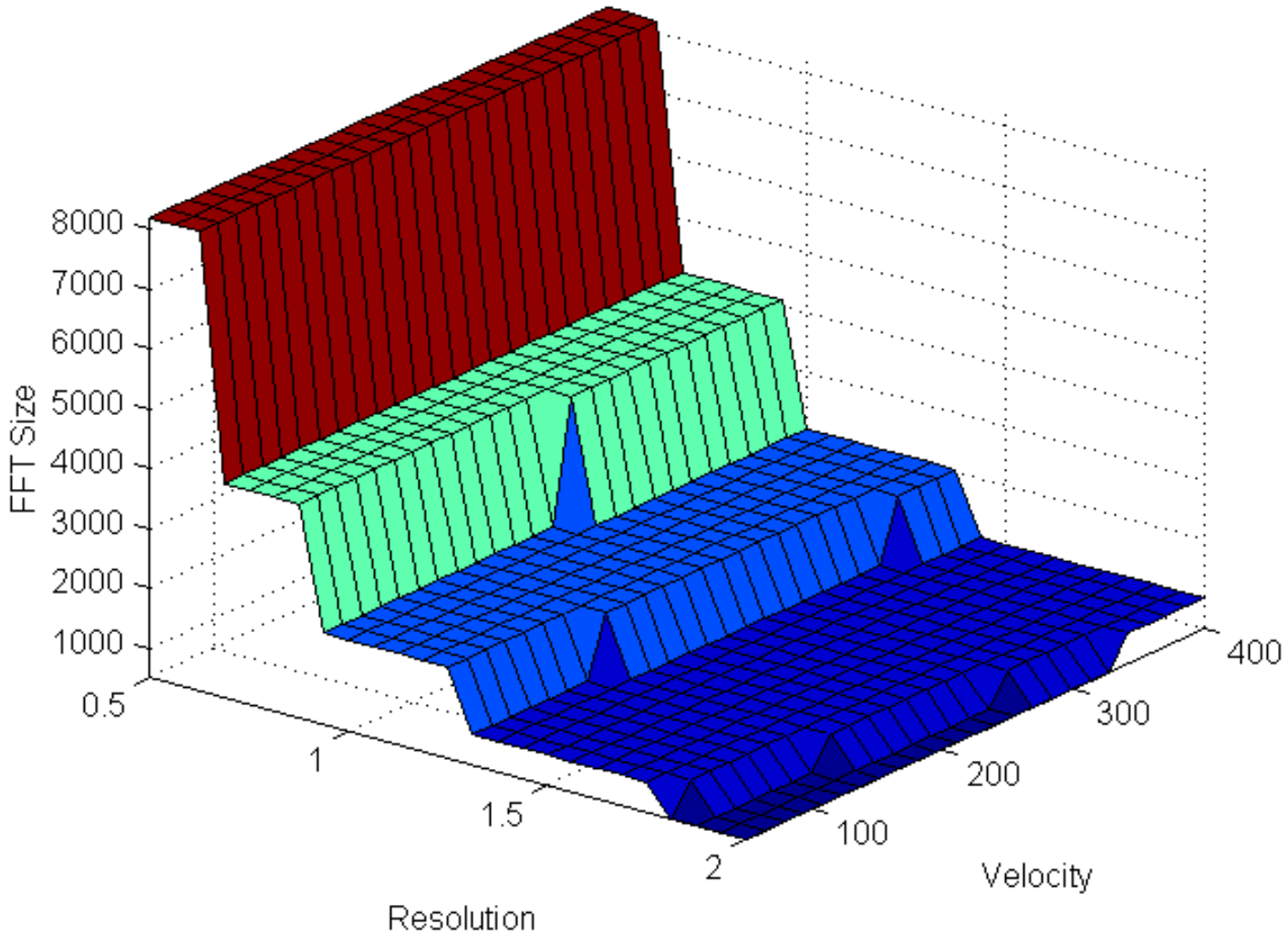
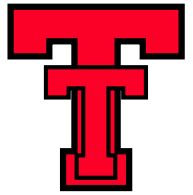


Ratio of Azimuth to Range Memory



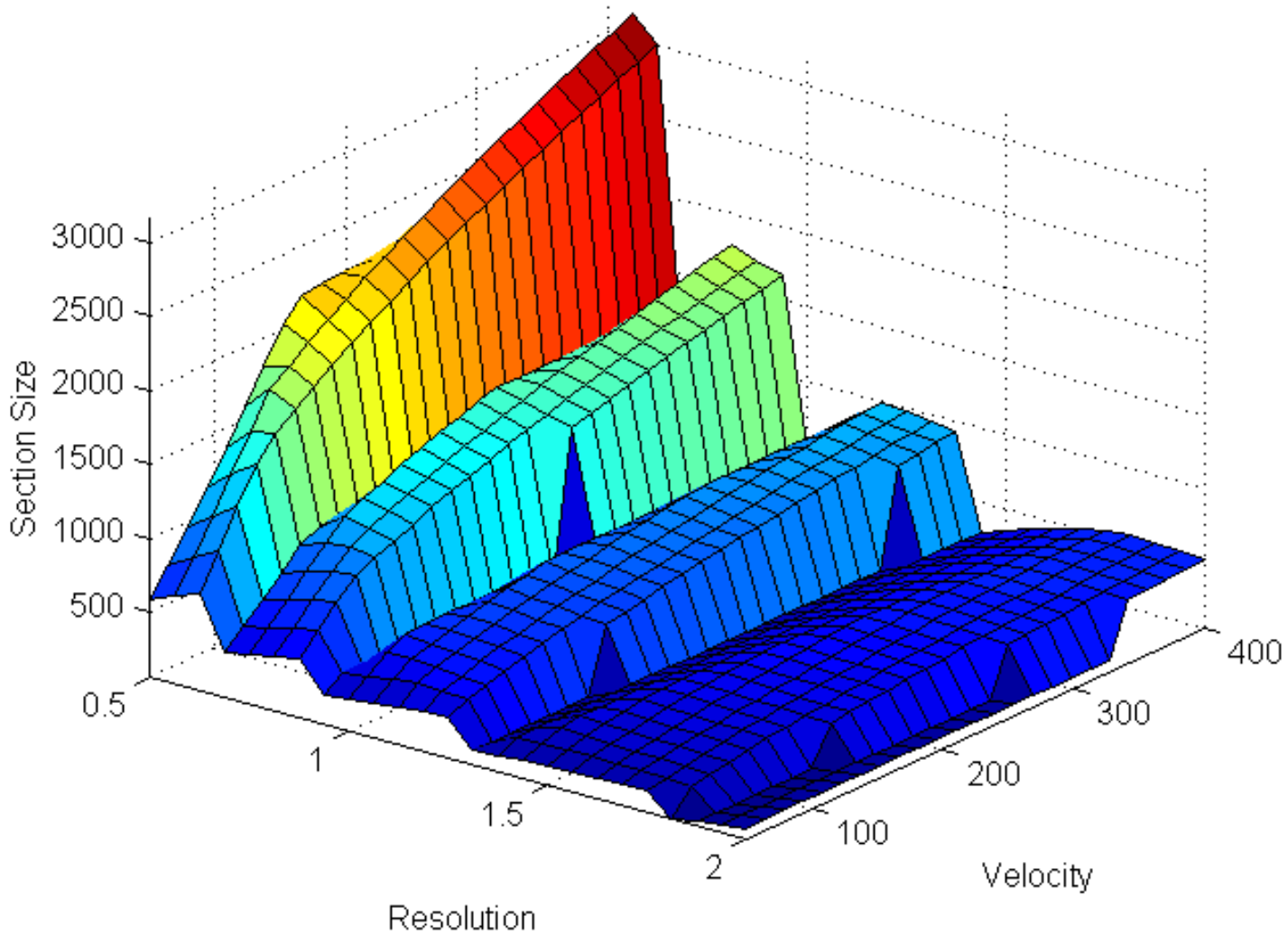
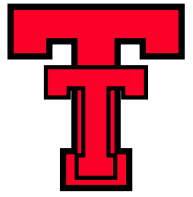


Azimuth FFT Size



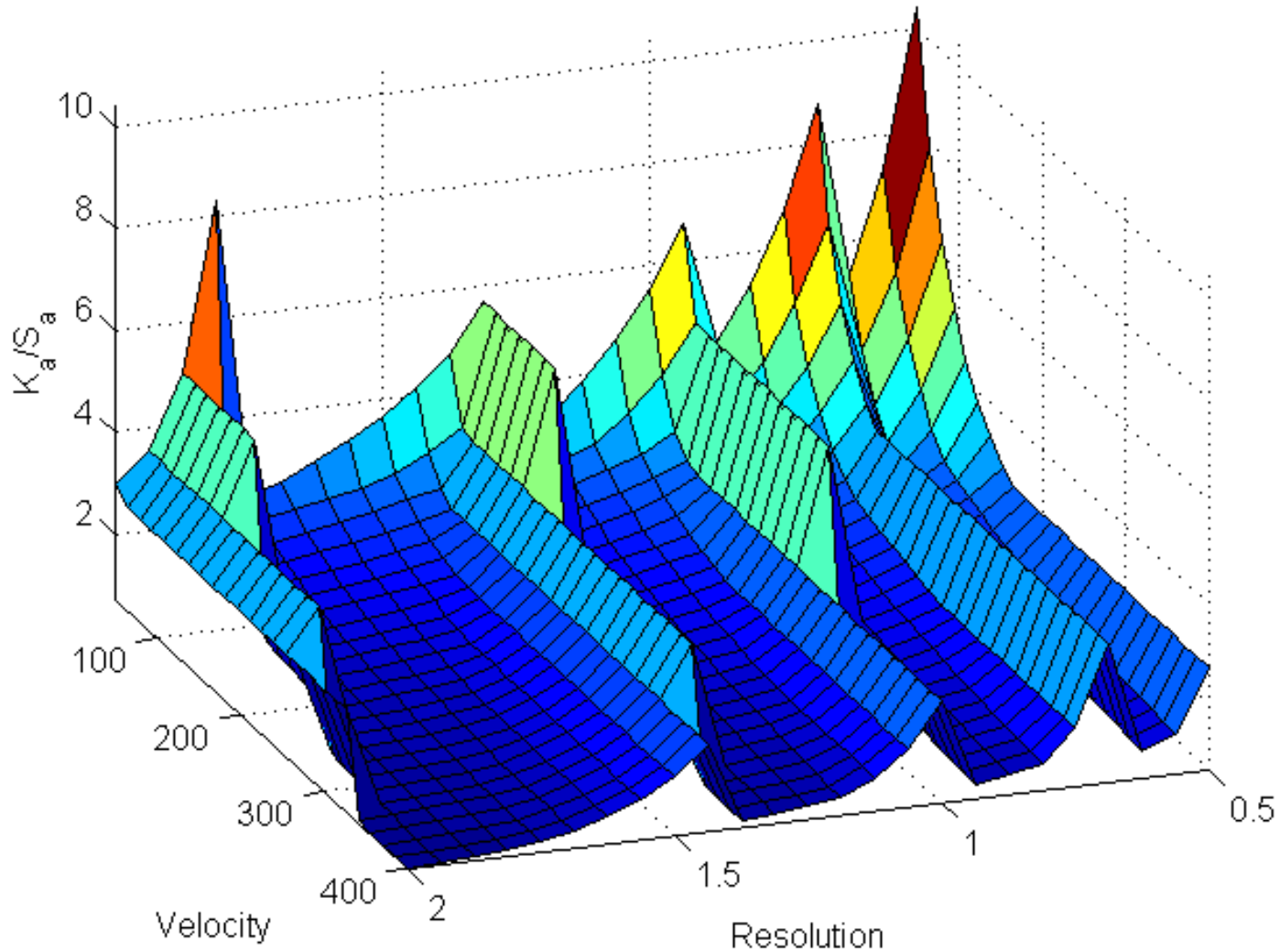
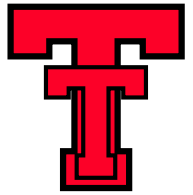


Optimal Azimuth Section Size



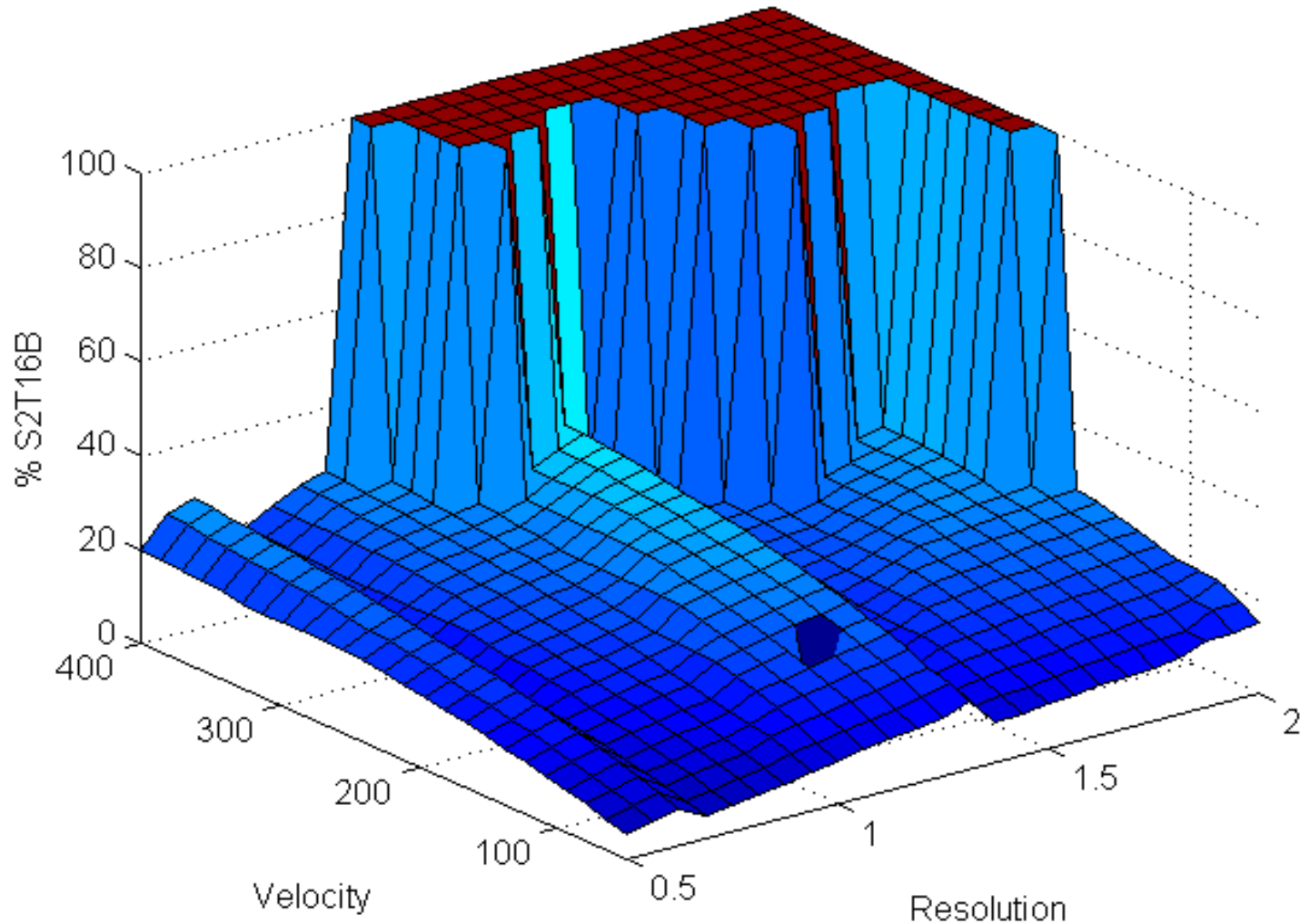


Optimal Ratio of Kernel Size to Section Size



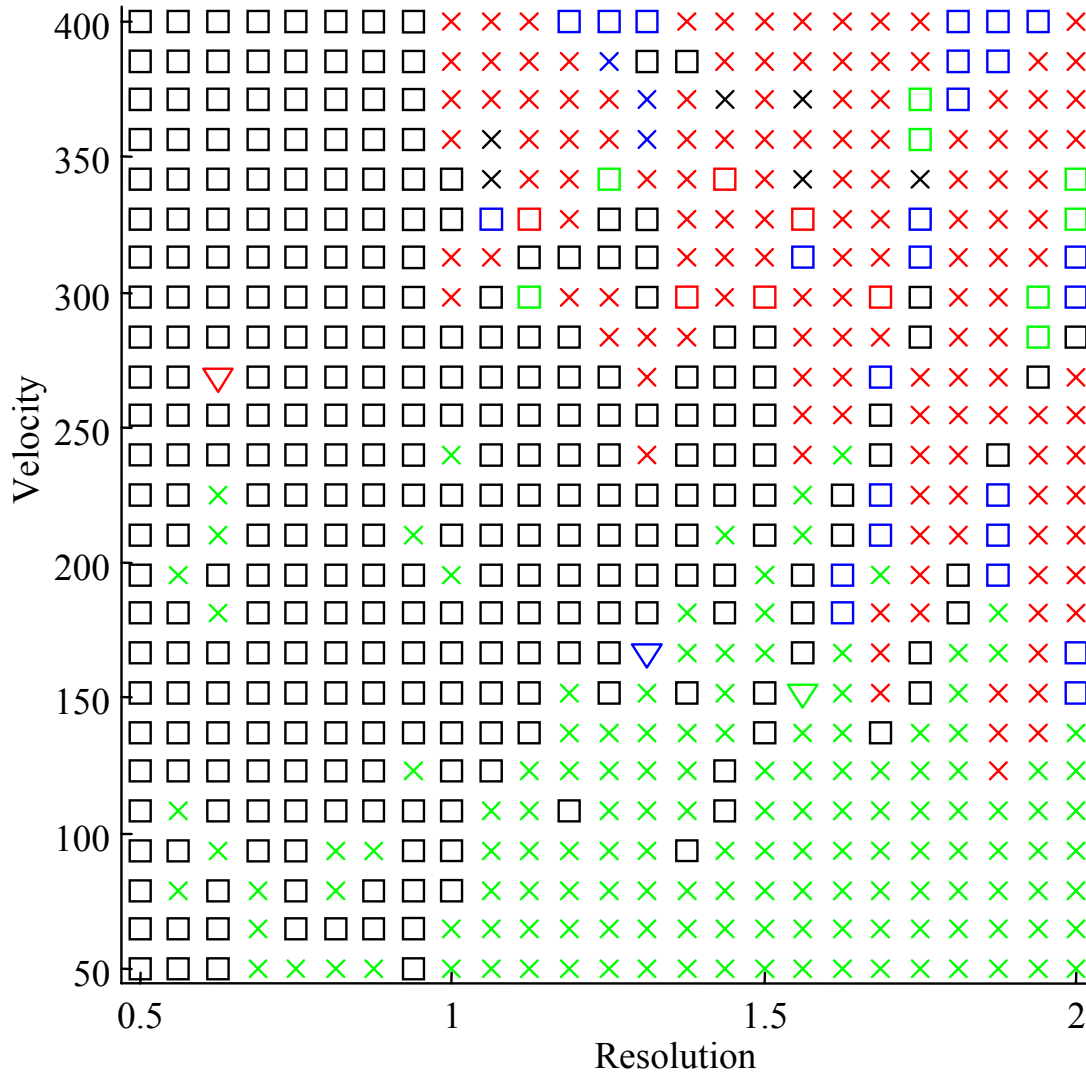
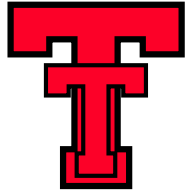


Percentage of Power Usage by Card Type 1





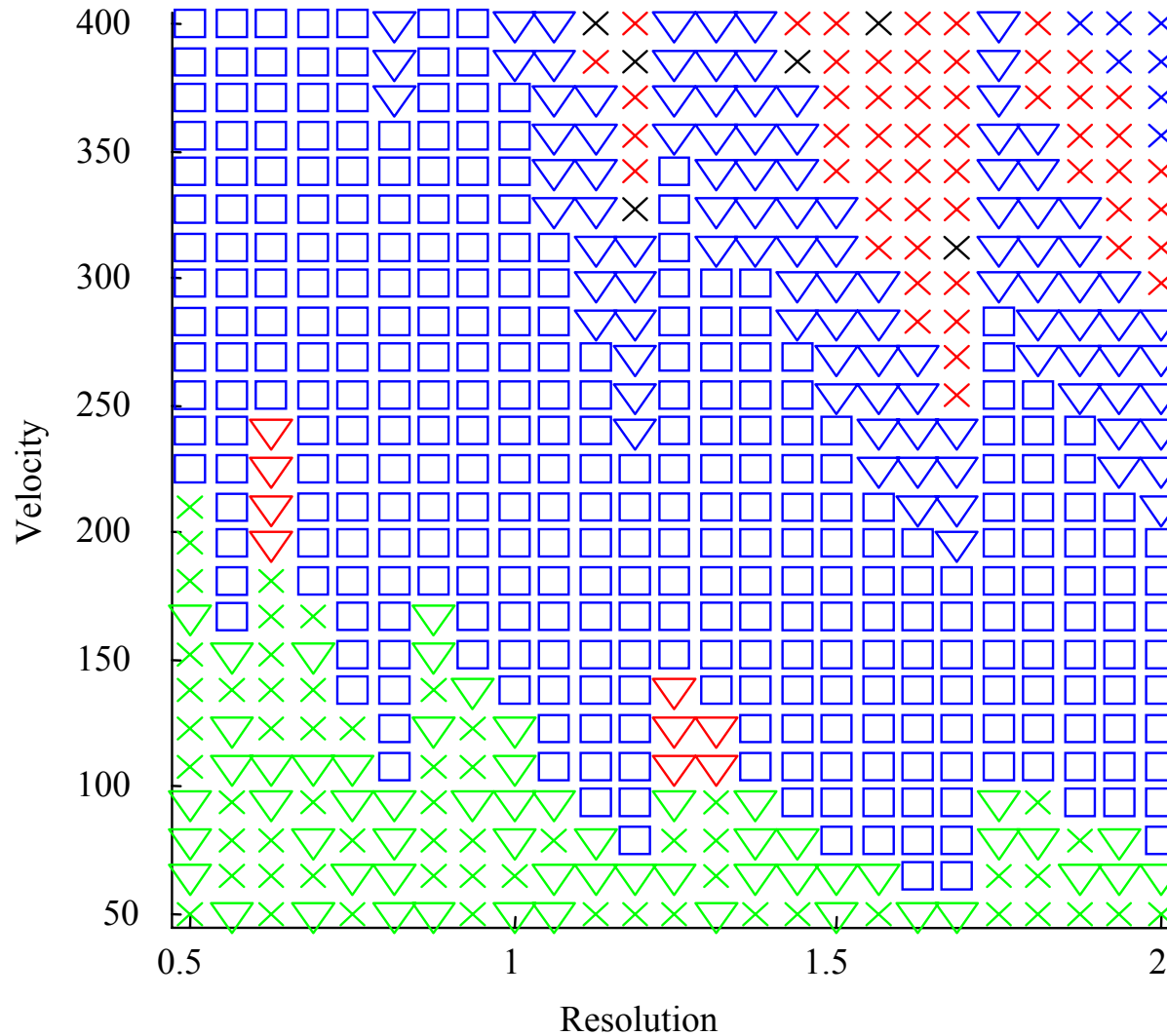
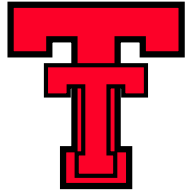
Optimal CN Configurations



	$X_T X_r X_a$	$Y_T Y_r Y_a$
×	1 1 2	
×	2 1 1	
×	1 1 2	1 2 1
×	1 1 2	2 0 1
□	1 1 2	2 0 2
□	1 1 2	2 1 1
□	1 2 1	2 0 2
□	1 3 0	2 0 2
▽	1 3 0	2 1 1
▽	2 0 2	2 1 1
▽	2 1 1	2 2 0



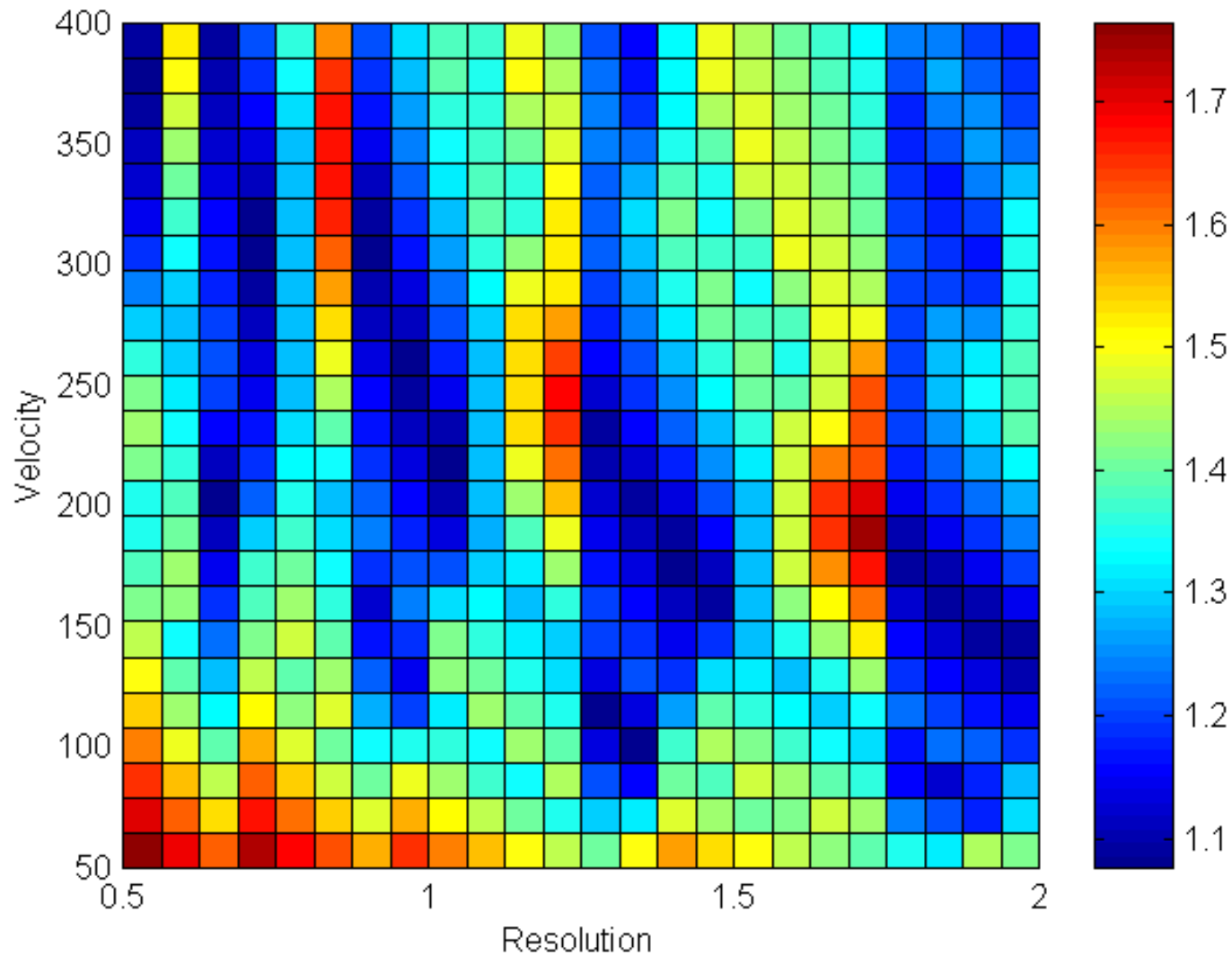
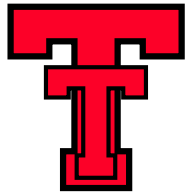
Sophisticated Nominal CN Configuration



	X_T	X_r	X_a	Y_T	Y_r	Y_a
×	1	1	2			
×	2	1	1			
×	1	0	2	1	1	2
×	1	1	2	1	3	0
□	1	2	1	2	0	2
□	1	3	0	2	0	2
□	1	3	0	2	1	1
□	2	0	1	2	1	1

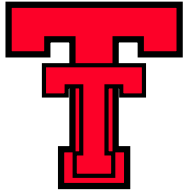


Ratio of Nominal to Optimal Power





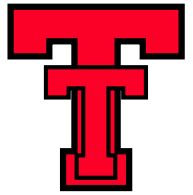
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Conclusions



- A method for optimally configuring CN-based parallel systems for SAR processing was introduced.
- The method provides detailed HW and SW design and implementation information about how to best utilize system resources for given values of application parameters.
- The numerical studies show that the optimal ratio of daughtercard types can be relatively constant over regions of the application parameter space.
- For a fixed hardware configuration, the CNs can be re-configured (via software re-configuration) to achieve optimal power consumption over specified regions.